## Lesson Question

## Lesson Goals



## Words to Know

Write the letter of the definition next to the matching word as you work through the lesson. You may use the glossary to help you.
$\qquad$ bisect
$\qquad$ consecutive angles
$\qquad$ parallelogram
$\qquad$ supplementary angles
A. two angles whose measures have a sum of 180 degrees
B. a quadrilateral in which both pairs of opposite sides are parallel
C. in a polygon, two angles that share a side
D. to divide into two congruent parts

## Warm-Up Parallelograms

((3) | Angles | Relationship |
| :---: | :---: |
| Corresponding | Congruent |
| Alternate interior |  |
| Alternate exterior | Congruent |
| Same-side interior |  |



## Instruction <br> Parallelograms



## The Parallelogram Angle Theorem

## Parallelogram angle theorem:

Opposite angles in a parallelogram
$\square$

Mark the congruent angles on the parallelogram.


## The Supplementary Consecutive Angles Theorem

Supplementary consecutive angles
theorem: Consecutive angles in a $\square$ are supplementary angles.

$$
m \angle \mathrm{C}+m \angle \mathrm{D}=\square
$$



## Instruction <br> Parallelograms

## Applying Theorems

- Parallelogram angle theorem: $\square$ Label the remaining angles.
angles in a parallelogram are congruent.
- Supplementary consecutive angles
theorem: Consecutive angles in a parallelogram are $\square$ angles.

$$
180^{\circ}-93^{\circ}=\square
$$



## Using the Parallelogram Angle Theorem

What are the measures of the angles of parallelogram $A B C D$ ?

$$
\begin{aligned}
5 p+7 & =9 p-13 \\
5 p+20 & =9 p \\
20 & =4 p \\
\square & =p
\end{aligned}
$$

Find $m \angle \mathrm{~A}$.


$$
5(5)+7=25+7=\square
$$

$$
m \angle \mathrm{~A}=m \angle \mathrm{C}=32^{\circ}
$$

$$
180^{\circ}-32^{\circ}=\square
$$

$$
m \angle \mathrm{D}=m \angle \mathrm{~B}=148^{\circ}
$$

## Instruction <br> Parallelograms



## Instruction

## Parallelograms

## Using the Parallelogram Diagonal Theorem

What is the length of segment PR?

$$
\begin{aligned}
12 y+4 & =15 y-11 \\
12 y+15 & =15 y \\
15 & =3 y \\
\square & =y
\end{aligned}
$$



Find PT.
$12(5)+4=60+4=\square$
That means that the length of TR is also 64. Add the lengths of PT and TR to find PR.
$64+64=\square$

## Summary <br> Parallelograms

Lesson<br>Question<br>What properties do all parallelograms possess?

## Answer



## Review: Key Concepts

The parallelogram angle theorem

- Opposite angles are $\square$
The supplementary consecutive angles theorem
- Consecutive angles are $\square$
The parallelogram side theorem
$\square$ sides are congruent.

The parallelogram diagonal theorem

- Diagonals $\square$ each other.


## Summary

## Parallelograms

Use this space to write any questions or thoughts about this lesson.

